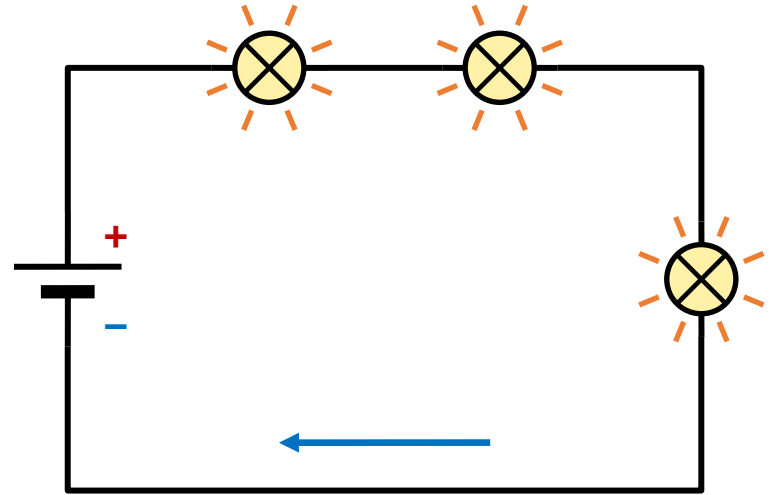


Essential Question

What happens when parts of a circuit share one path?

One Path

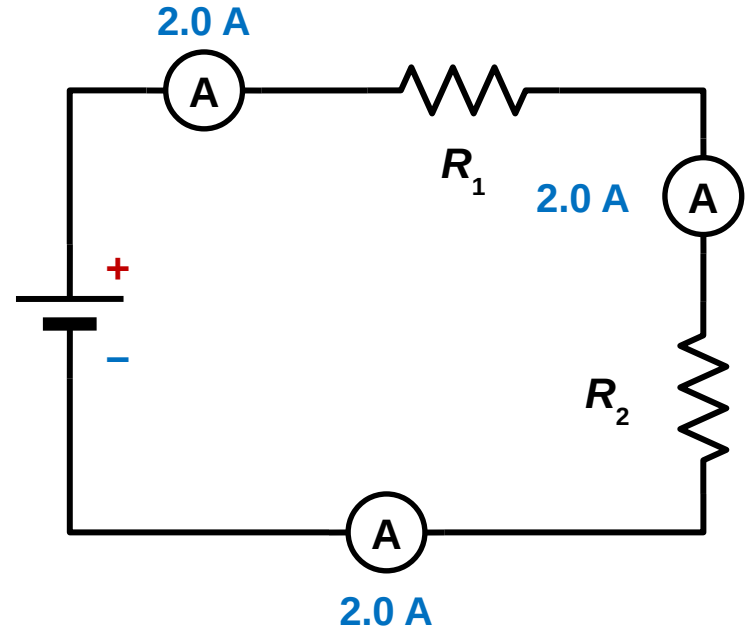
- Parts connected end to end
- Charge has only one path
- It flows through every part



one loop, one path

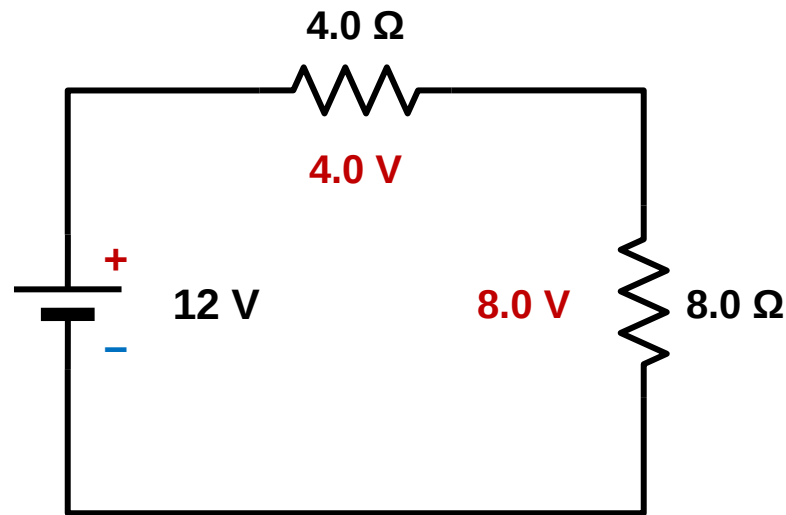
Same Current Everywhere

- Same current at every point
- Charge is not used up
- $I = I_1 = I_2$



Voltages Add Up

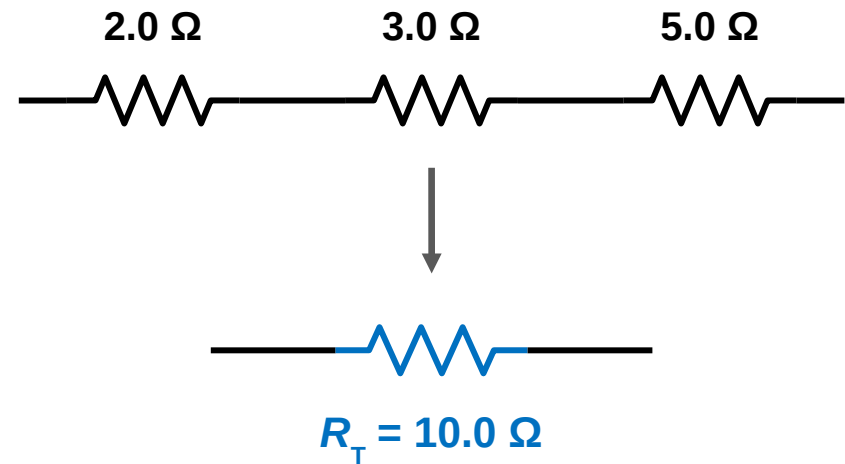
- Each part uses some voltage
- Drops add to the battery voltage
- $V = V_1 + V_2 + \dots$



$$4.0 \text{ V} + 8.0 \text{ V} = 12 \text{ V}$$

Total Resistance

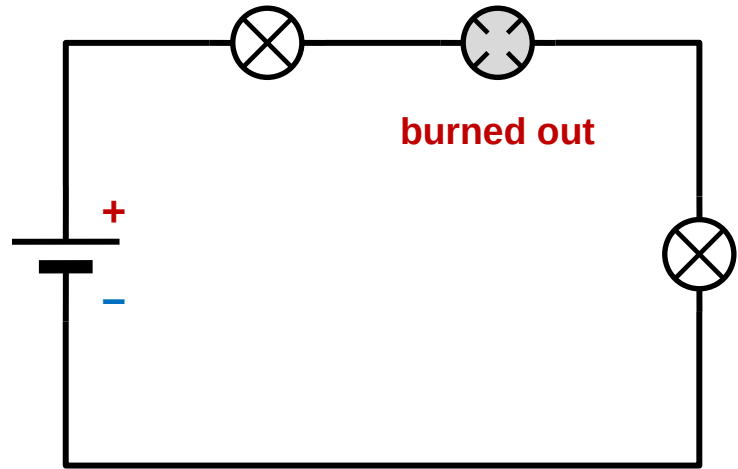
- Resistances in series add
- $R_T = R_1 + R_2 + \dots$
- More resistors, less current



$$2.0\ \Omega + 3.0\ \Omega + 5.0\ \Omega = 10.0\ \Omega$$

One Bulb Out, All Out

- A break anywhere opens the loop
- Current stops everywhere
- Every bulb goes dark



one bulb out, all out

Solving Series Circuits

- Work from the whole to the parts
- Same I through every part
- Check: drops add to V

$$1. R_T = R_1 + R_2$$



$$2. I = V / R_T$$



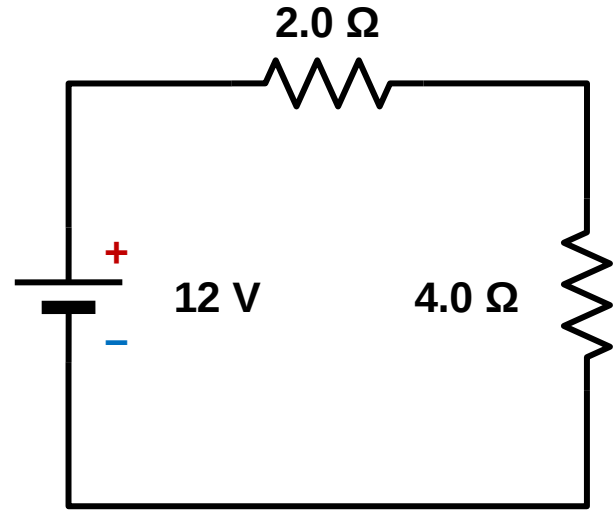
$$3. V_1 = IR_1, V_2 = IR_2$$



$$4. \text{ check: } V_1 + V_2 = V$$

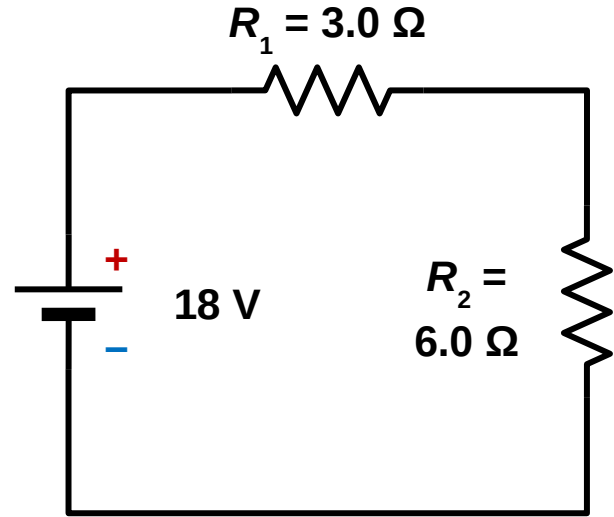
Example: Total Resistance and Current

A 12 V battery is connected in series with a $2.0\ \Omega$ resistor and a $4.0\ \Omega$ resistor. Find the total resistance and the current.



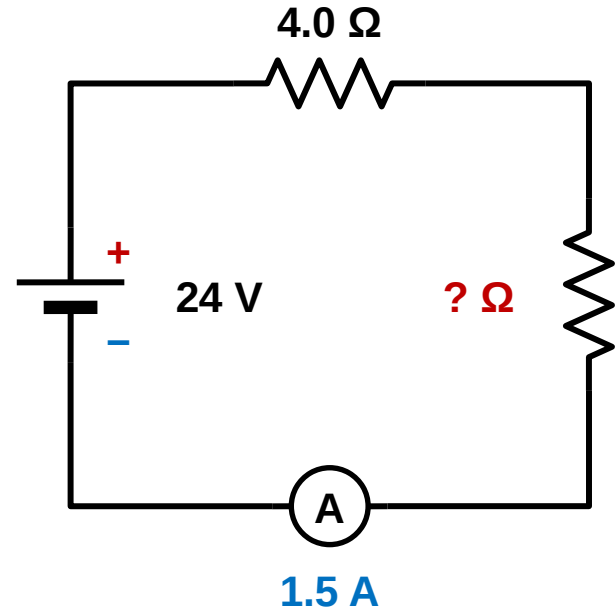
Example: Voltage Drops

An 18 V battery is in series with $R_1 = 3.0\ \Omega$ and $R_2 = 6.0\ \Omega$. Find the voltage across each resistor.



Example: Missing Resistor

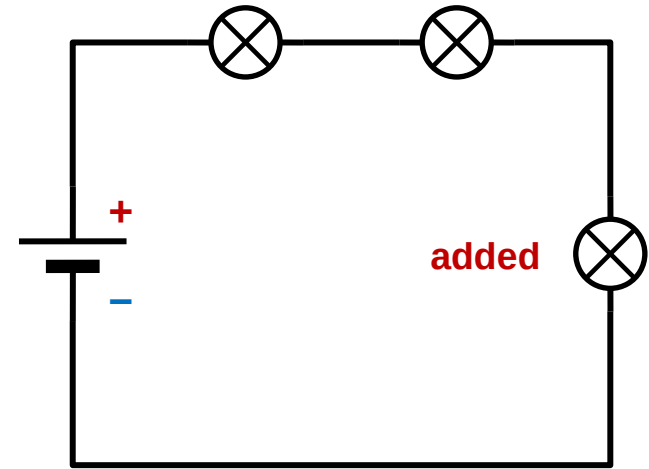
A 24 V battery pushes 1.5 A through two resistors in series. One resistor is $4.0\ \Omega$. What is the other?



Example: Adding a Bulb

Two identical $4.0\ \Omega$ bulbs are in series with a $12\ \text{V}$ battery. A third identical bulb is added in series. Find the current before and after.

What happens to the brightness?



Big Ideas

- One path: same current everywhere
- Voltage drops add to the battery voltage
- $R_T = R_1 + R_2 + \dots$
- One bulb out, all out